

4 Star Formation Relations (+ Strengthened Cluster Survival) With One Single Model

Geneviève Parmentier



Astronomisches-Rechen Institut
Zentrum für Astronomie Heidelberg



Germany



UNIVERSITÄT
HEIDELBERG
ZUKUNFT
SEIT 1386



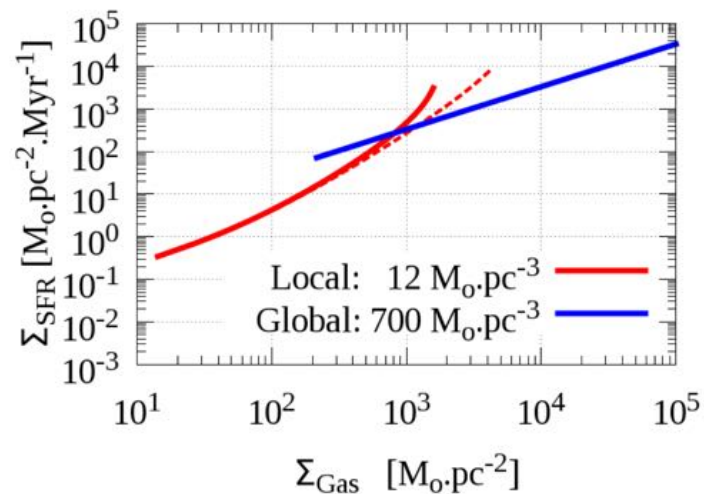
Outline

Star cluster formation in centrally-concentrated molecular clumps



A. Gas-embedded systems

➤ What star formation relations
characterize such systems?





Outline

Star cluster formation
in centrally-concentrated
molecular clumps

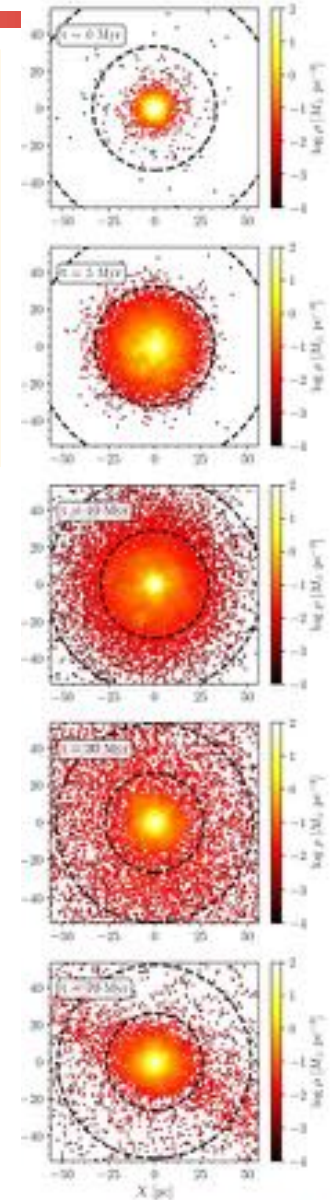
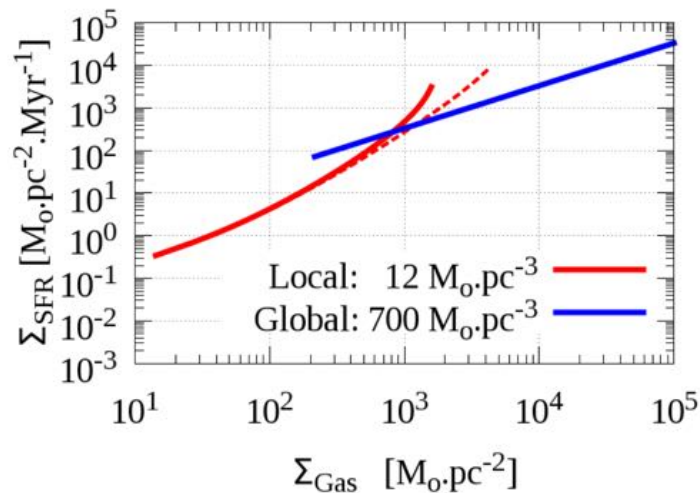


B. Gas-free systems

➤ When the residual
star-forming gas is
gone, how do such
systems evolve ?

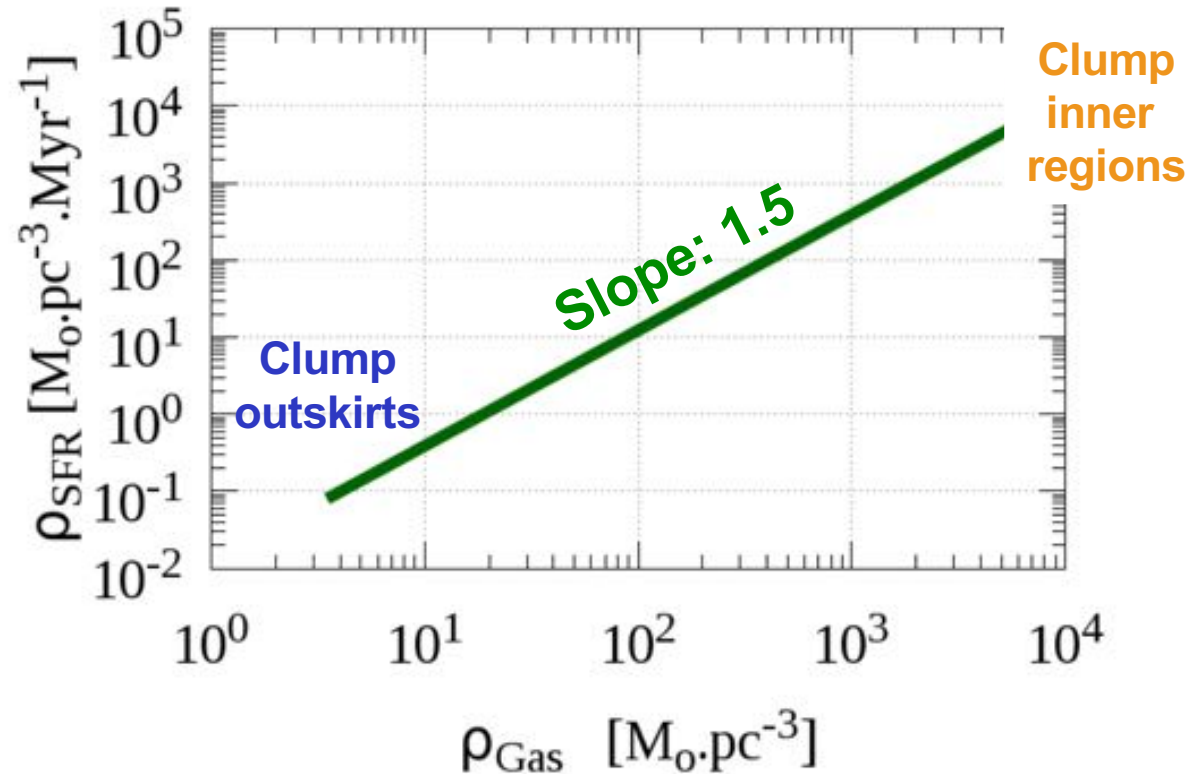
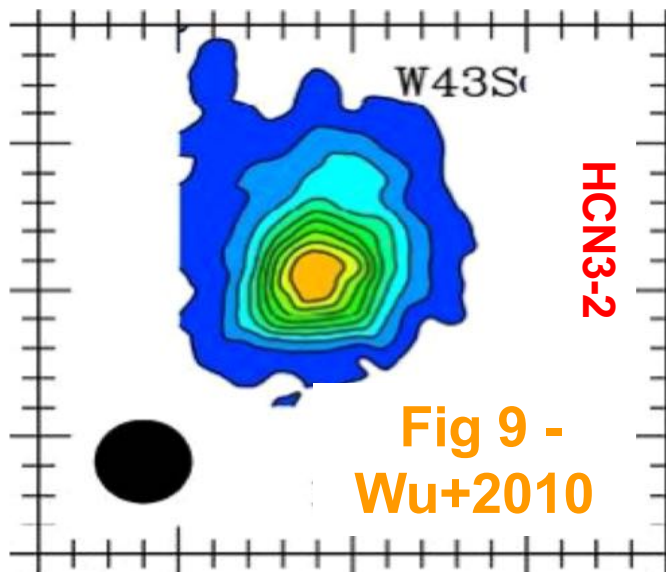
A. Gas-embedded systems

➤ What star formation relations
characterize such systems?





First Star Formation Relation (Volume/Theory)



- Molecular clumps have volume density gradients
- If stars form with a constant star formation efficiency per free-fall time, ϵ_{ff} , the volumetric star formation relation is a power-law of slope 3/2
- Shell-by-shell representation
- **Local** star formation relation

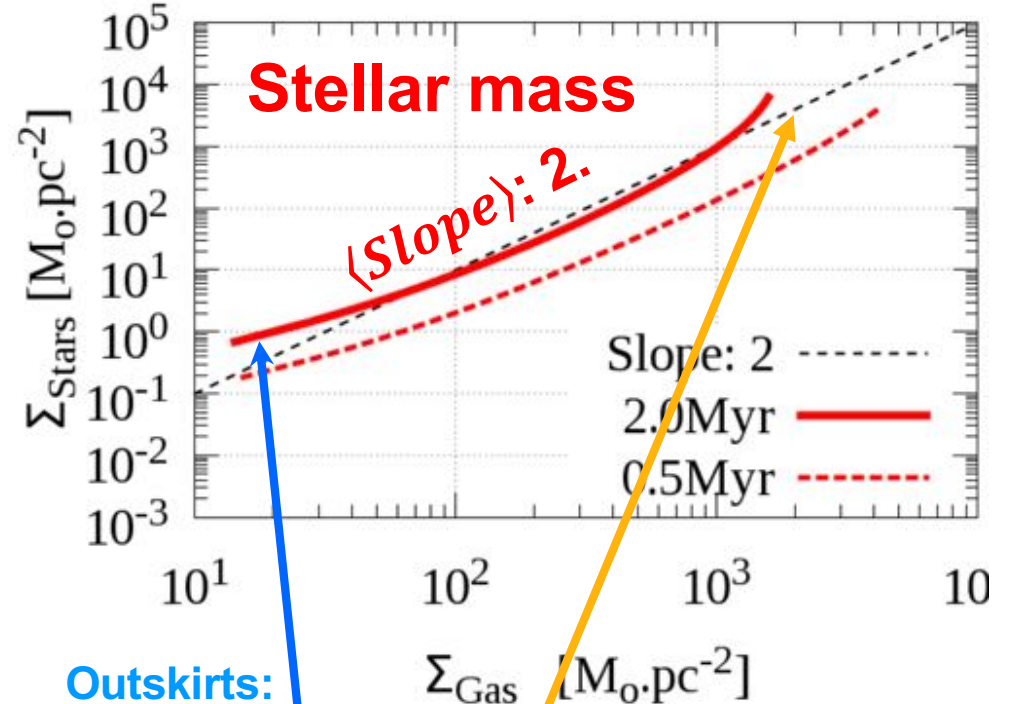
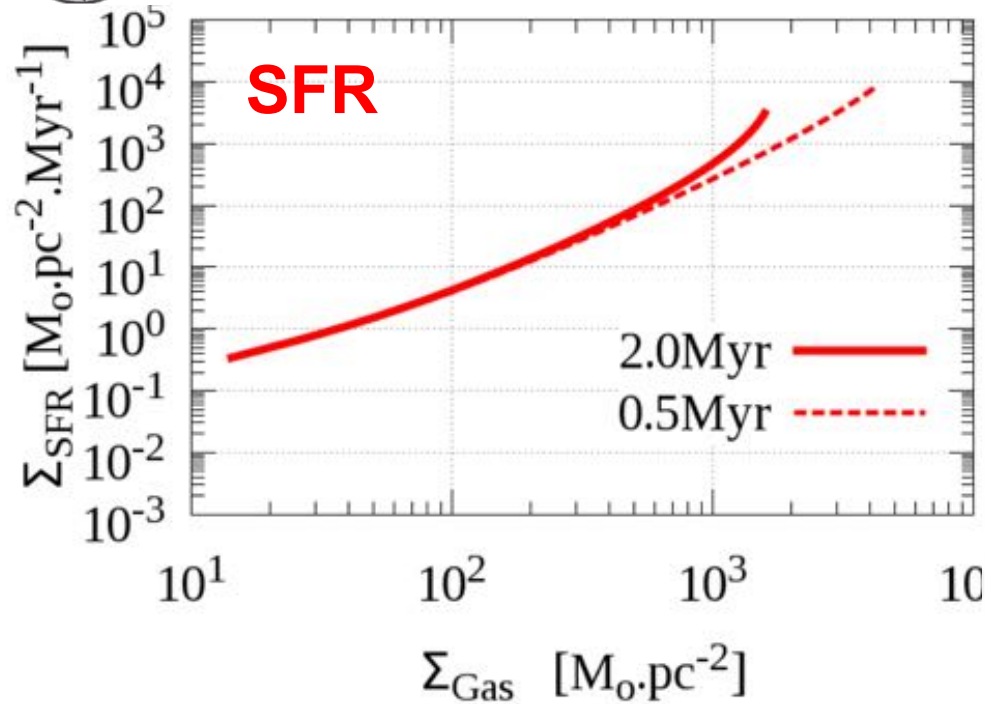
$$\rho_{SFR} = \frac{\epsilon_{ff} \rho_{gas}}{\tau_{ff}}$$

$$\underline{\rho_{SFR}} \propto \rho_{gas}^{1.5}$$





Second Star Formation Relation (Surface/Observ.)

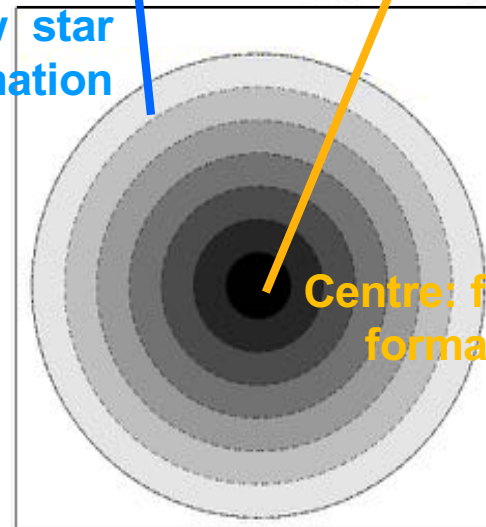


$$\underline{\underline{\text{II.}}} \Sigma_{\text{SFR}} \propto \Sigma_{\text{gas}}^2$$

- Steeper than its volumetric counterpart
- Contour-by-contour representation
- **Local** star formation relation

Parmentier & Pfalzner (2013)

Outskirts:
slow star
formation



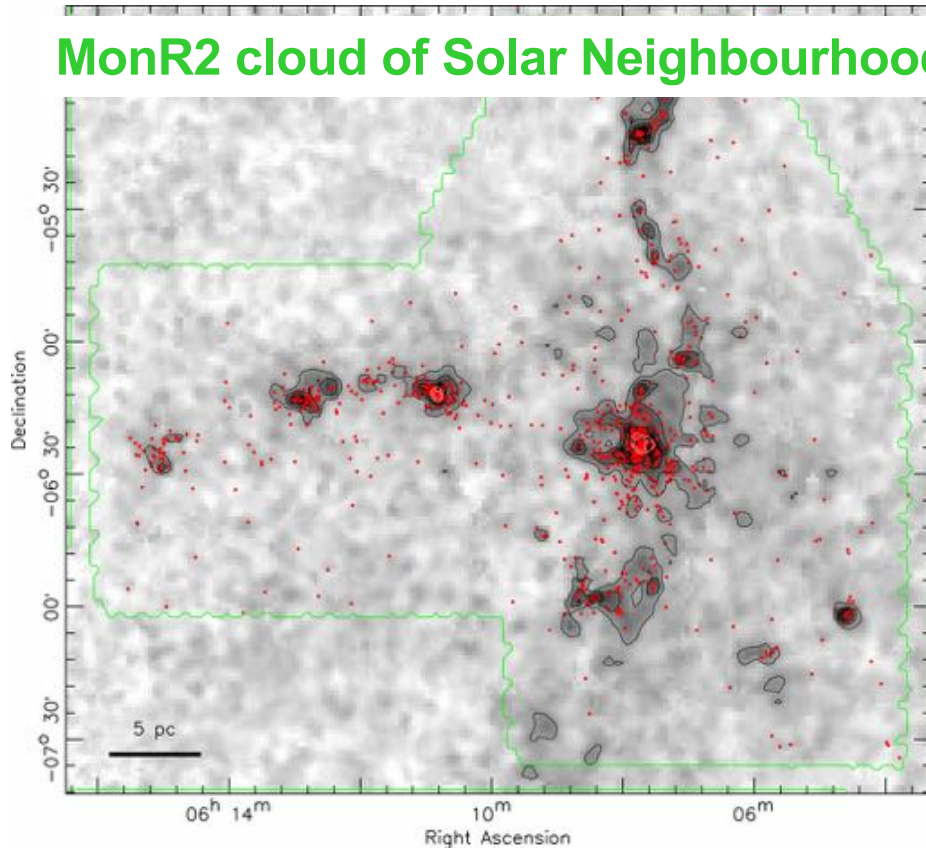
Centre: fast star
formation



Sol. N. Molecular Clouds Show Quadratic SF Relations

Fig. 1, Gutermuth+ (2011)

MonR2 cloud of Solar Neighbourhood



Σ_{YSO}

Σ_{YSO}

$$\Sigma_{YSO} \propto \Sigma_{gas}^2$$

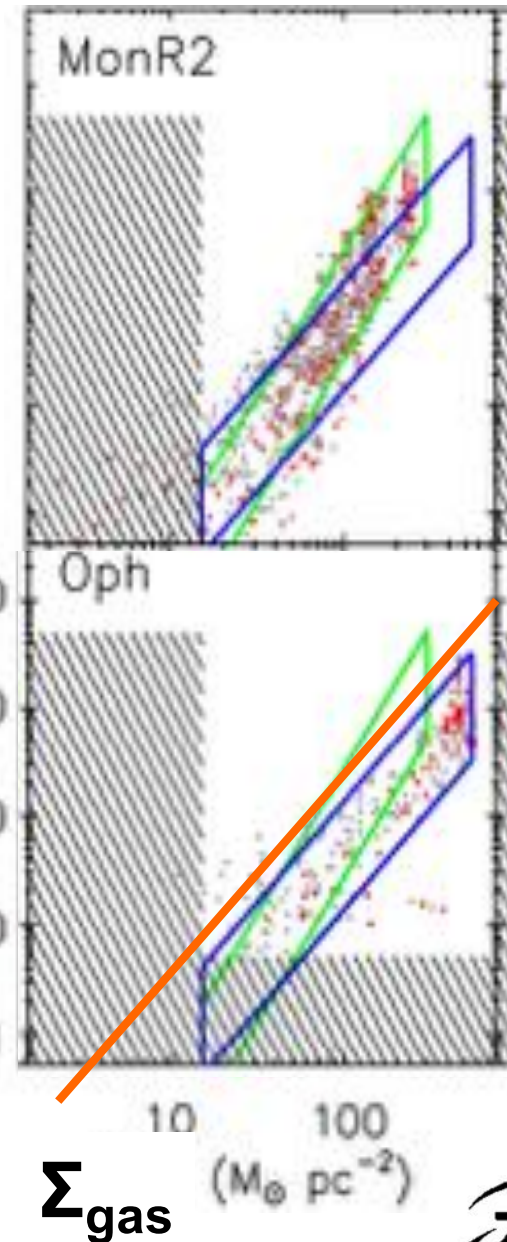


Fig. 9, Gutermuth+ (2011)

Σ_{gas}

$(M_{\odot} pc^{-2})$





Sol. N. Molecular Clouds Show Quadratic SF Relations

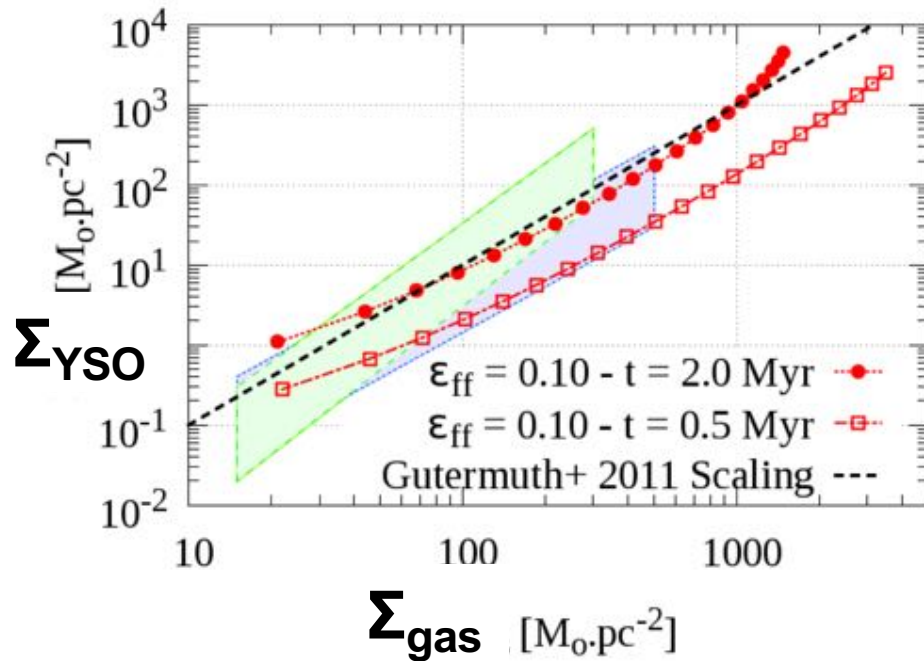


Fig 3, Parmentier & Pfalzner (2013)

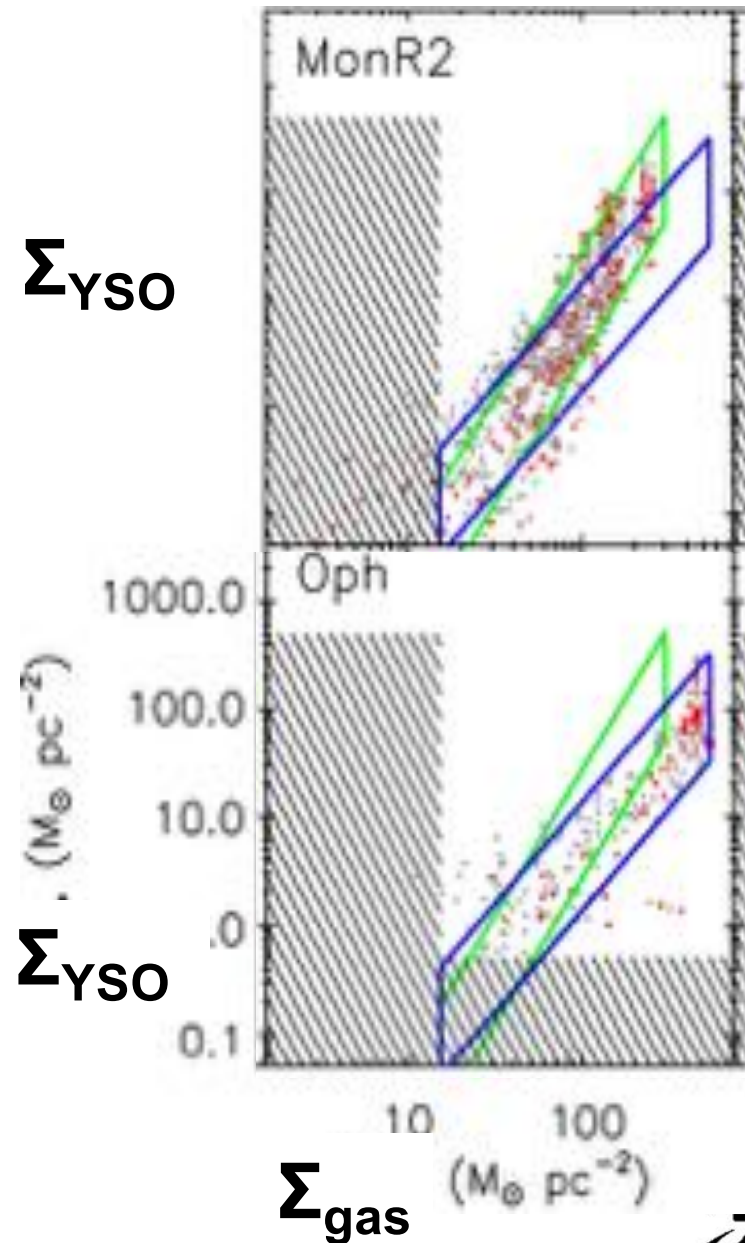


Fig. 9, Gutermuth+ (2011)



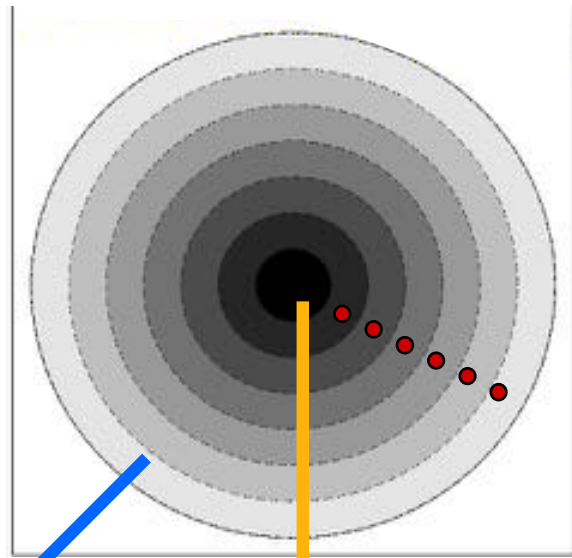


From a Local SF Relation ...

Local perspective:

- Contour-by-contour basis
- One clump is enough

Clump distance: e.g. 500 pc



Outskirts:
slow
star
formation

Centre:
fast
star
formation



... to a Global (= Third) SF Relation

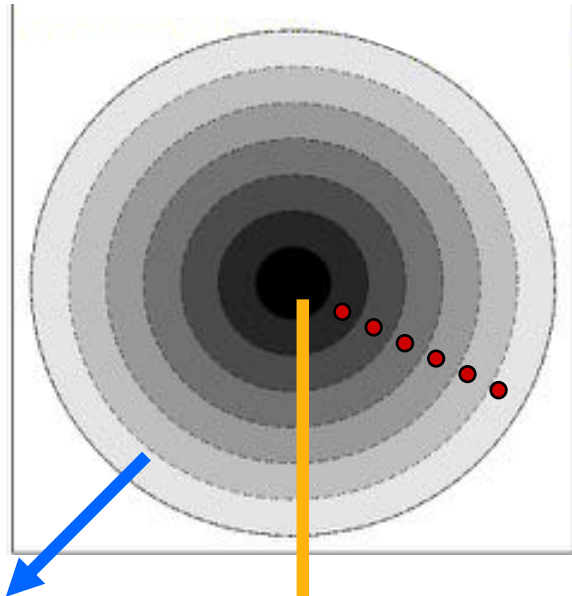
Local perspective:

- **Contour-by-contour basis**
- **One clump is enough**

Clump at a distance where it cannot be resolved

$$(\Sigma_{gas}^{glob}, \Sigma_{SFR}^{glob})$$

Clump distance: e.g. 500 pc



Outskirts:
slow
star
formation

Centre:
fast
star
formation

Global perspective:

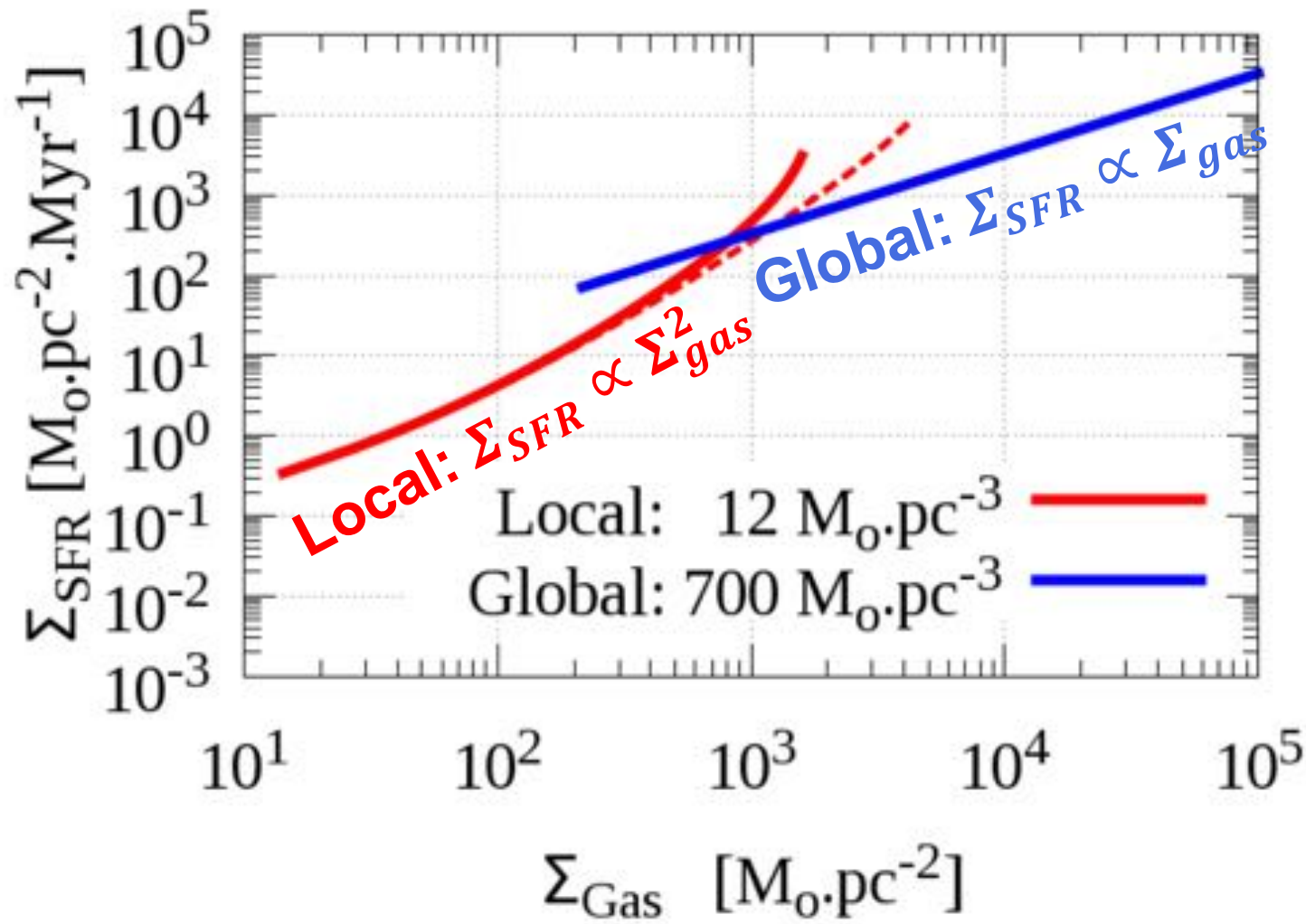
- A population of clumps is needed
- e.g. HCN(1-0) molecular clumps
- **To first order: common free-fall time**
→ **Slope: 1**
→ **Third / linear SF relation**

$$\text{III. } \Sigma_{SFR} \propto \Sigma_{gas}$$



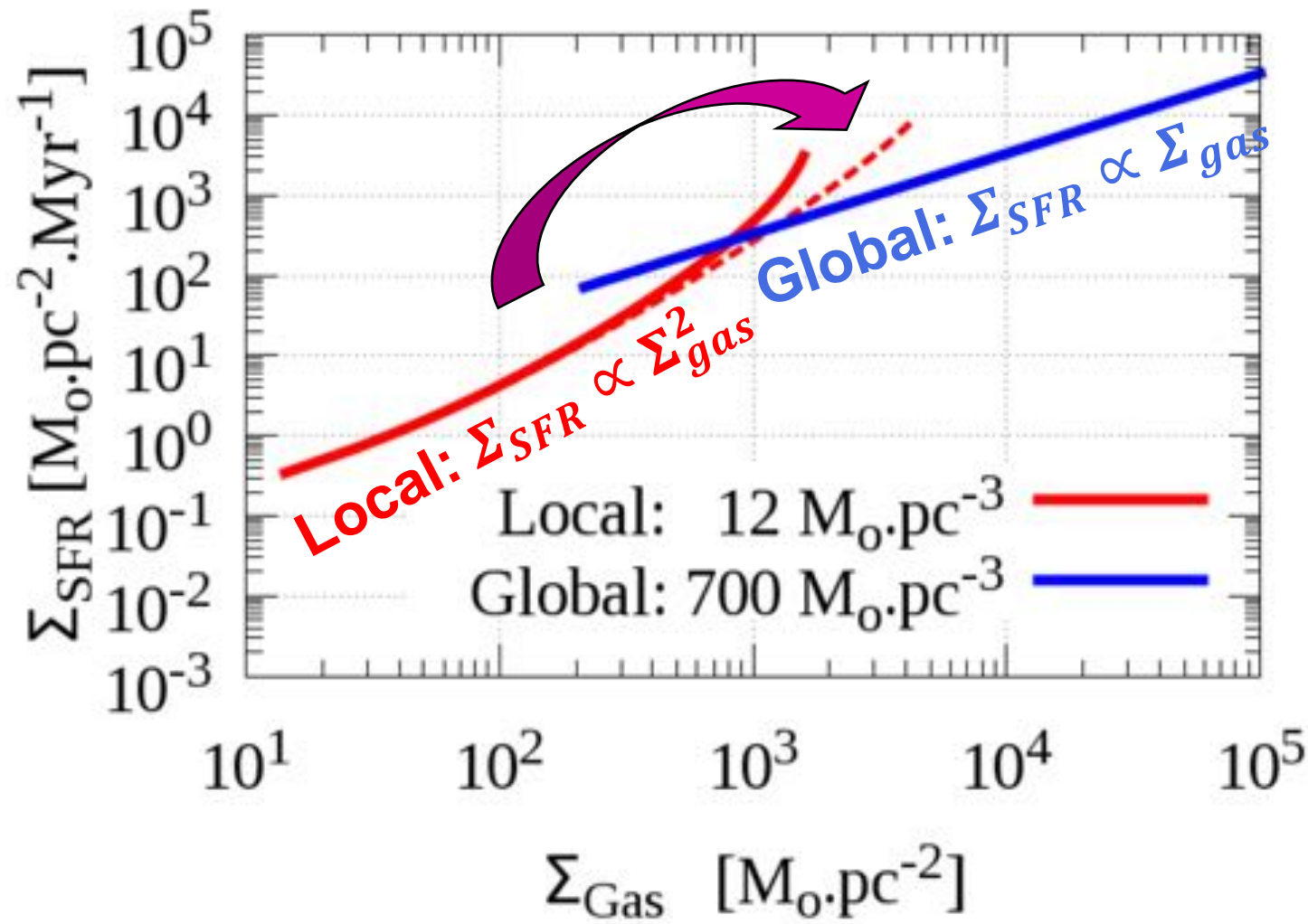


Composite SF Relation: II + III



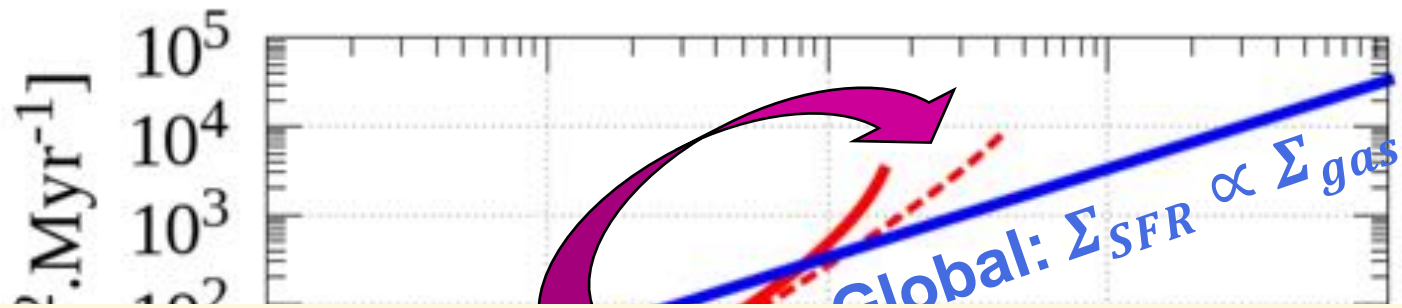


Break-Point in Composite SF Relation

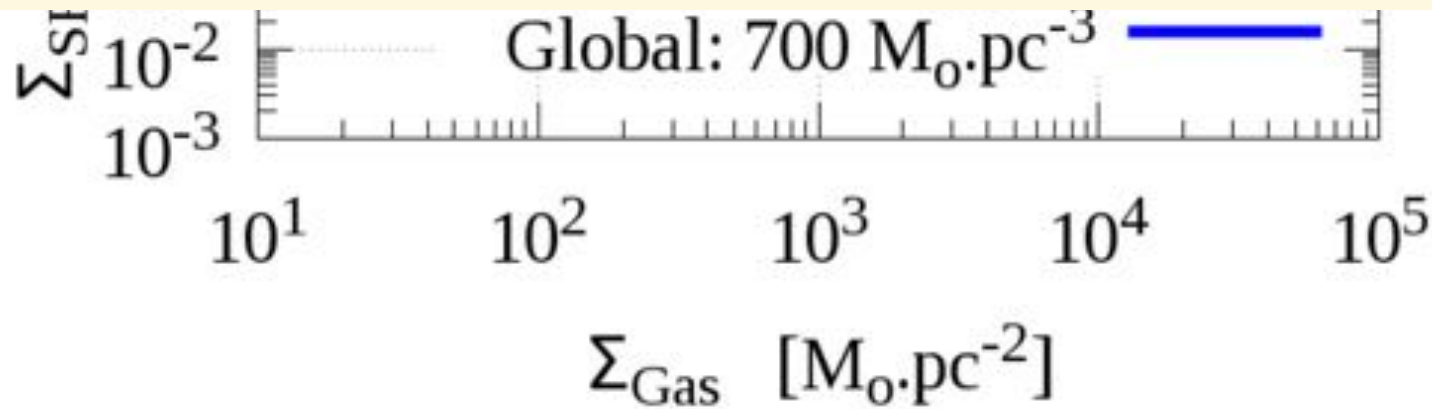




Break-Point in Composite SF Relation



Mind the step !





Break-Point in Composite SF Relation

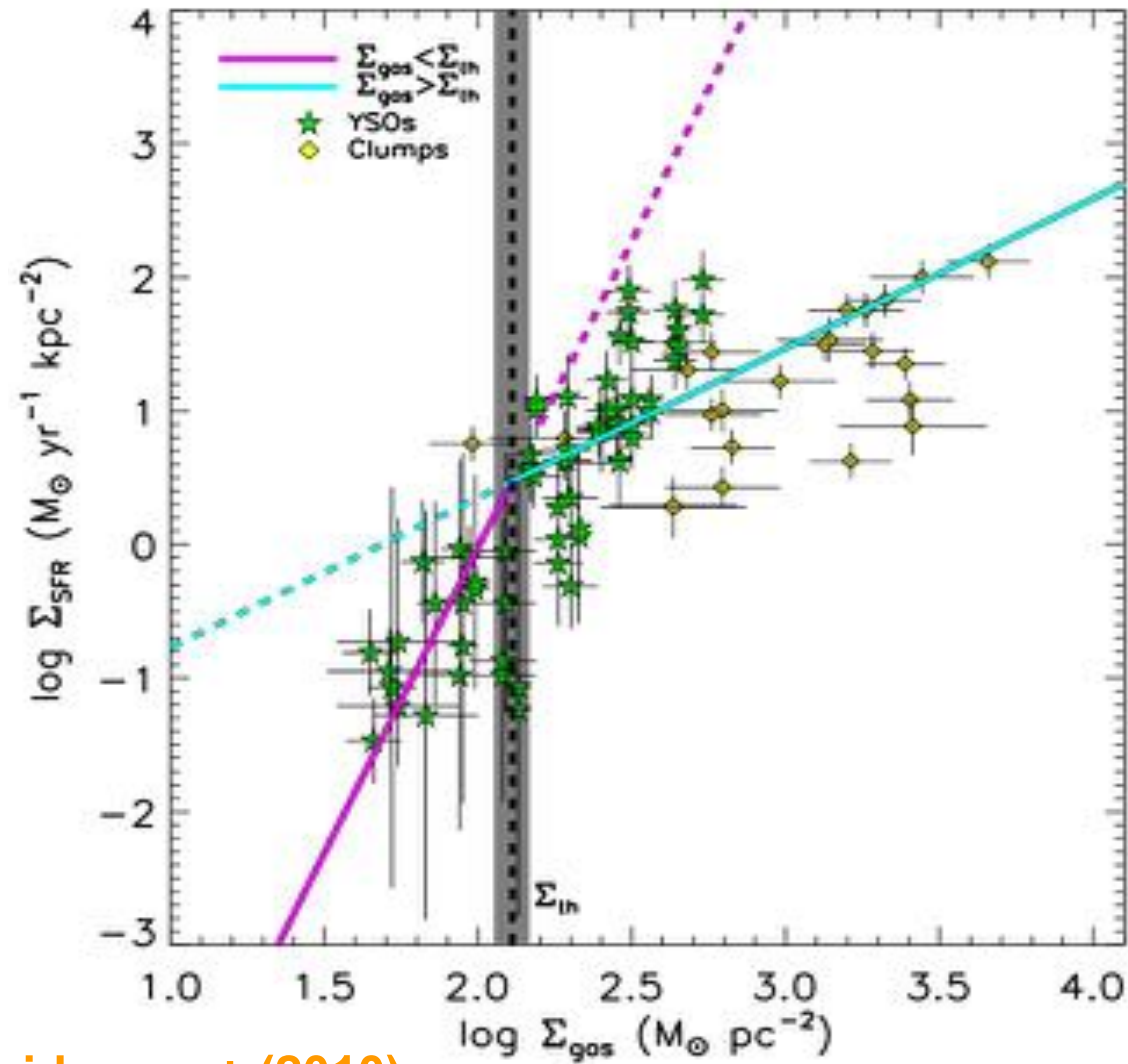
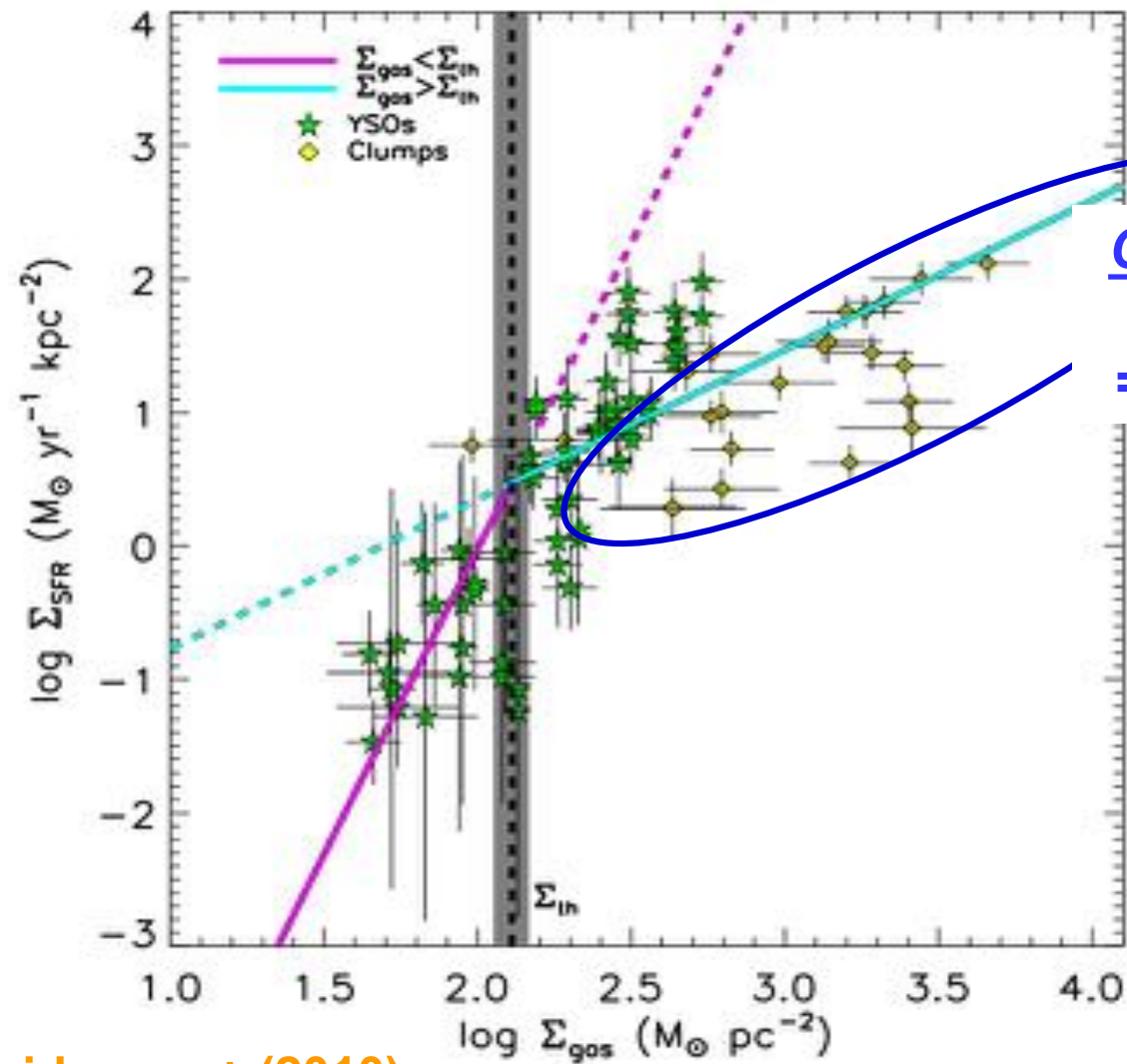


Fig. 10, Heiderman+ (2010)



Break-Point in Composite SF Relation



HCN Clumps

Global relation:
1 data-point
= 1 HCN clump

Fig. 10, Heiderman+ (2010)

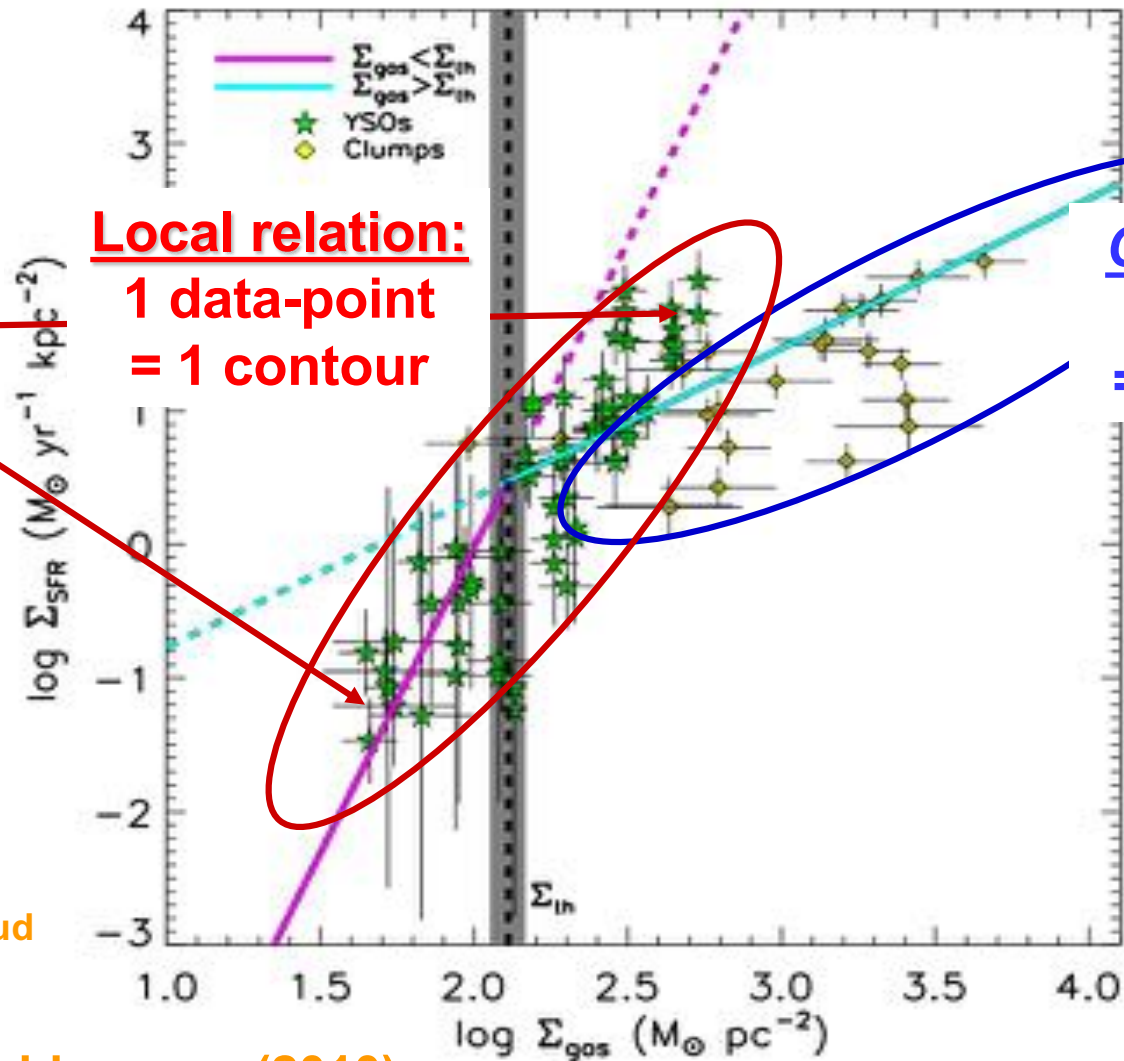




Break-Point in Composite SF Relation



Perseus molecular cloud



Local relation:
1 data-point
= 1 contour

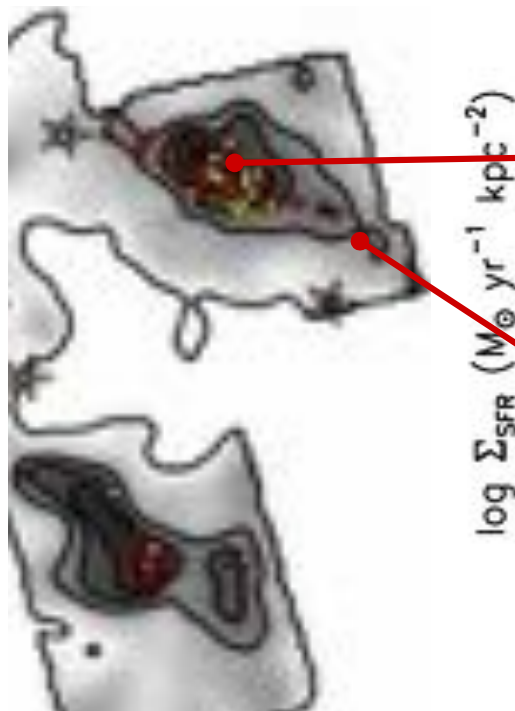
HCN Clumps
Global relation:
1 data-point
= 1 HCN clump

Figs 2 & 10, Heiderman+ (2010)

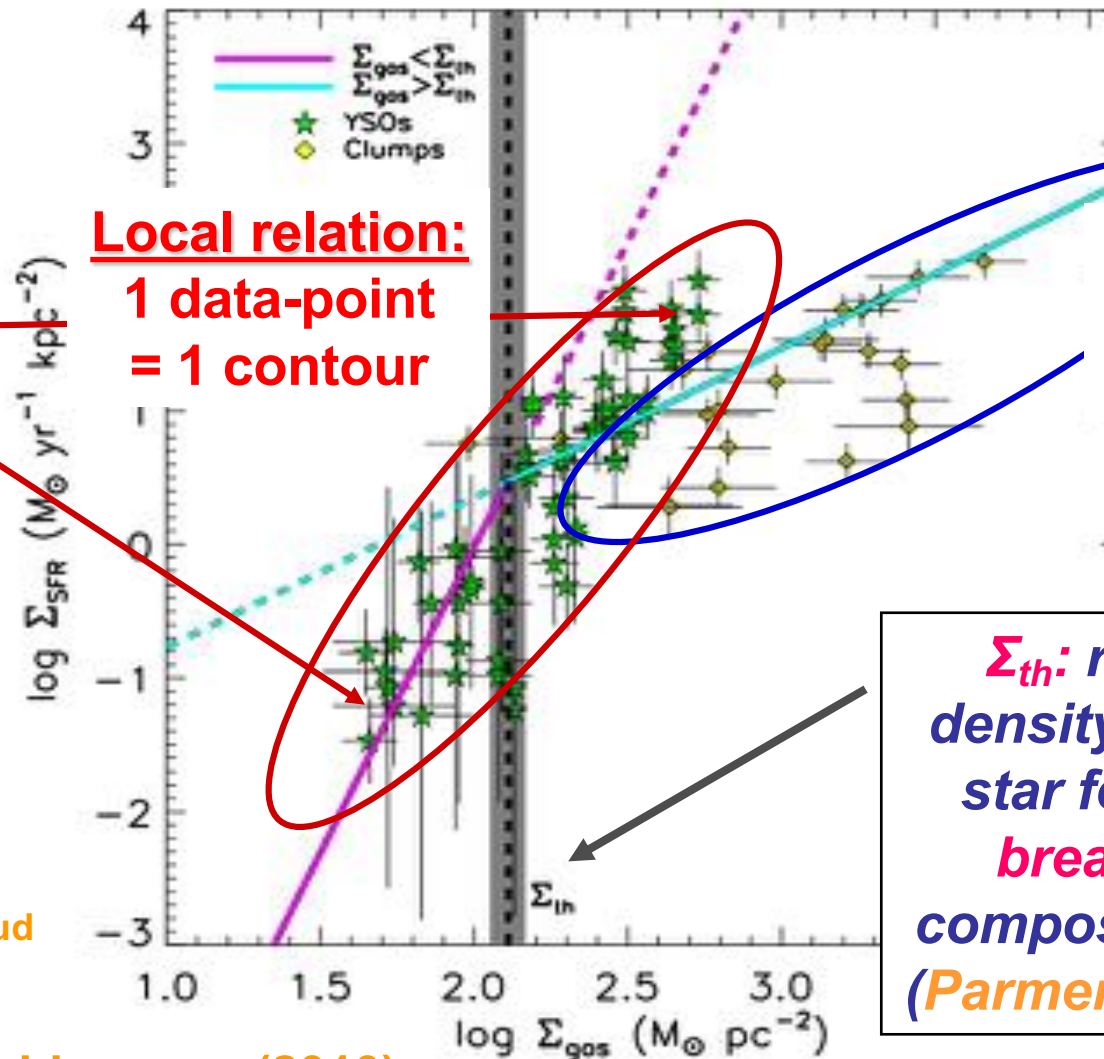




Interpretation of Break-Point



Perseus molecular cloud



Local relation:
1 data-point
= 1 contour

HCN Clumps

Global relation:
1 data-point
= 1 HCN clump

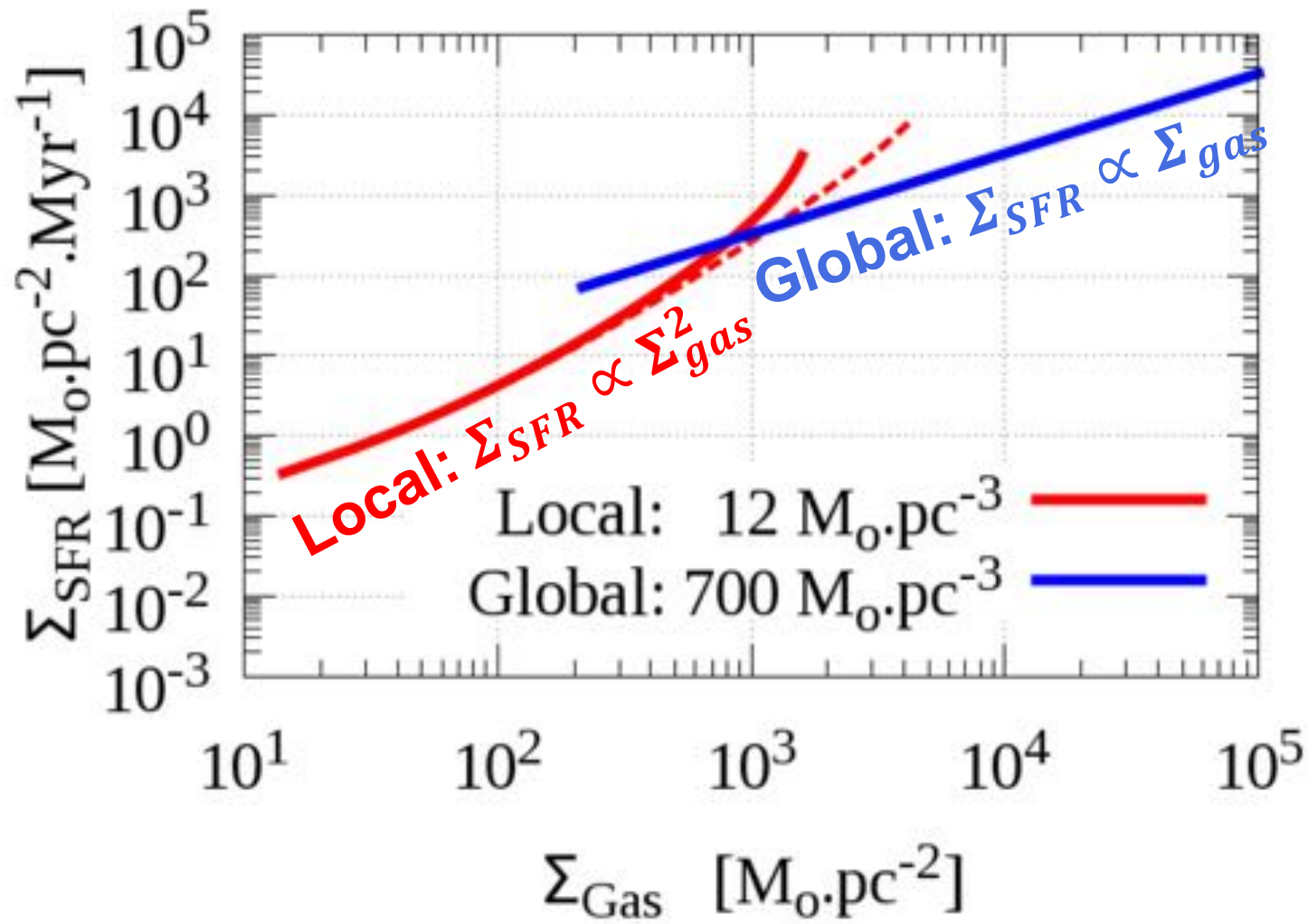
Σ_{th} : rather than a density threshold for star formation, the **break-point** of a composite SF relation (Parmentier 2016, ApJ)

Figs 2 & 10, Heiderman+ (2010)





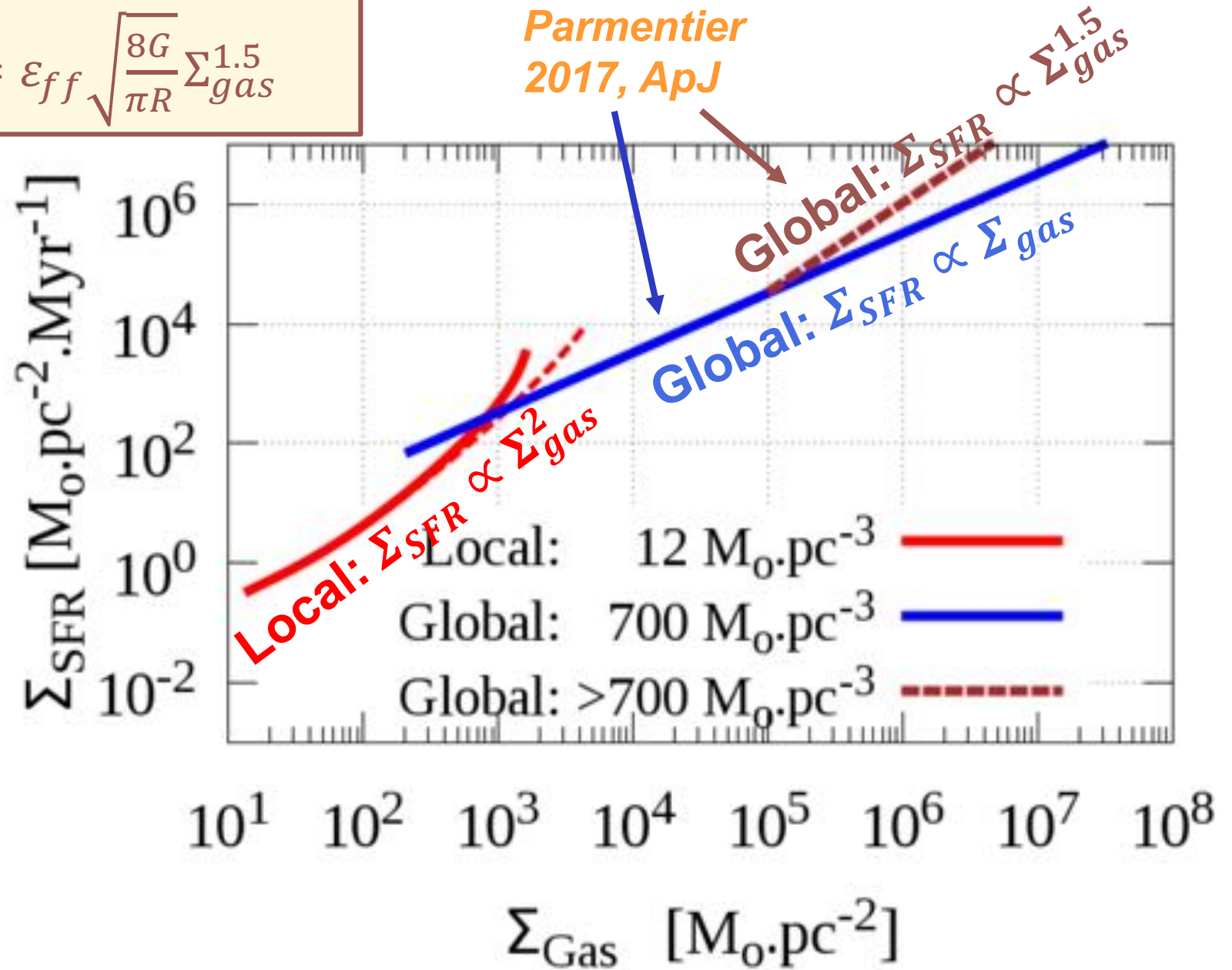
Composite SF Relation: II + III





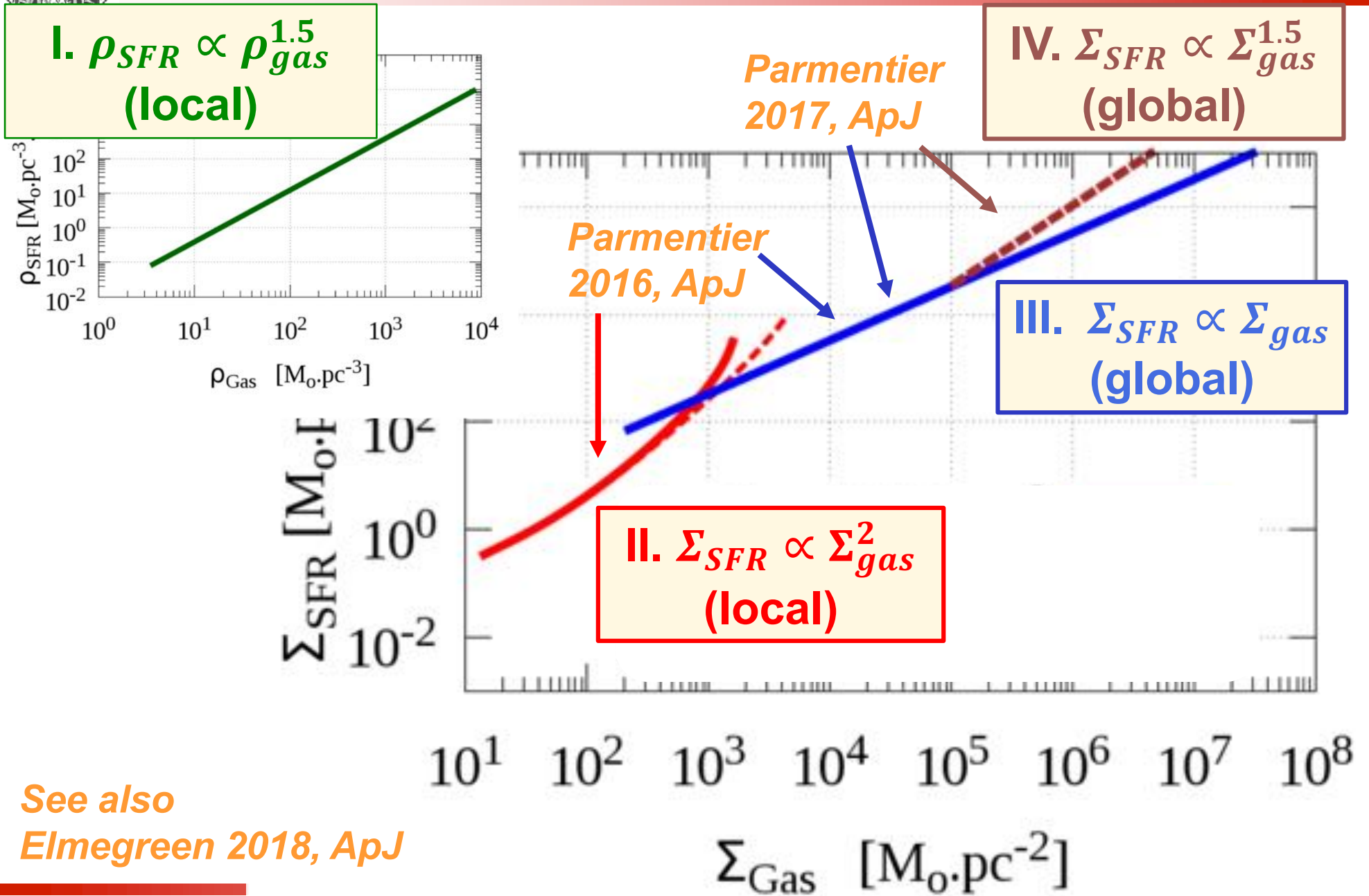
Fourth SF Relation (the very dense gas)

$$\text{IV. } \Sigma_{\text{SFR}} = \varepsilon_{\text{ff}} \sqrt{\frac{8G}{\pi R}} \Sigma_{\text{gas}}^{1.5}$$





4 Star Formation Relations for Molecular Clumps





Star Formation Relations and Co.

Shell – by – shell :

$$\rho_{SFR} \cong \varepsilon_{ff} \frac{\rho_{gas}}{\tau_{ff}} \propto \varepsilon_{ff} \frac{\rho_{gas}}{(\rho_{gas})^{-1/2}} \propto \rho_{gas}^{3/2}$$

Contour – by – contour :

$$\Sigma_{SFR} \approx \Sigma_{gas}^2$$

Clump-by-clump (constant $\langle \rho_{gas} \rangle$):

$$\langle \Sigma_{SFR} \rangle \propto \langle \Sigma_{gas} \rangle^1$$

Clump-by-clump (increasing $\langle \rho_{gas} \rangle$):

$$\langle \Sigma_{SFR} \rangle \propto \langle \Sigma_{gas} \rangle^{3/2}$$



Star Formation Relations and Co.

Shell – by – shell :

$$\rho_{SFR} \cong \varepsilon_{ff} \frac{\rho_{gas}}{\tau_{ff}} \propto \varepsilon_{ff} \frac{\rho_{gas}}{(\rho_{gas})^{-1/2}} \propto \rho_{gas}^{3/2}$$

Contour – by – contour :

$$\Sigma_{SFR} \approx \Sigma_{gas}^2$$

Clump-by-clump (constant $\langle \rho_{gas} \rangle$):

$$\langle \Sigma_{SFR} \rangle \propto \langle \Sigma_{gas} \rangle^1$$

Clump-by-clump (increasing $\langle \rho_{gas} \rangle$):

$$\langle \Sigma_{SFR} \rangle \propto \langle \Sigma_{gas} \rangle^{3/2}$$

- Constant ε_{ff} : the slope is not necessarily 1.5
- Slope $\neq 1.5$ does **not** necessarily discard a scenario in which star formation proceeds with a constant ε_{ff}





Star Cluster Evolution after Gas Expulsion

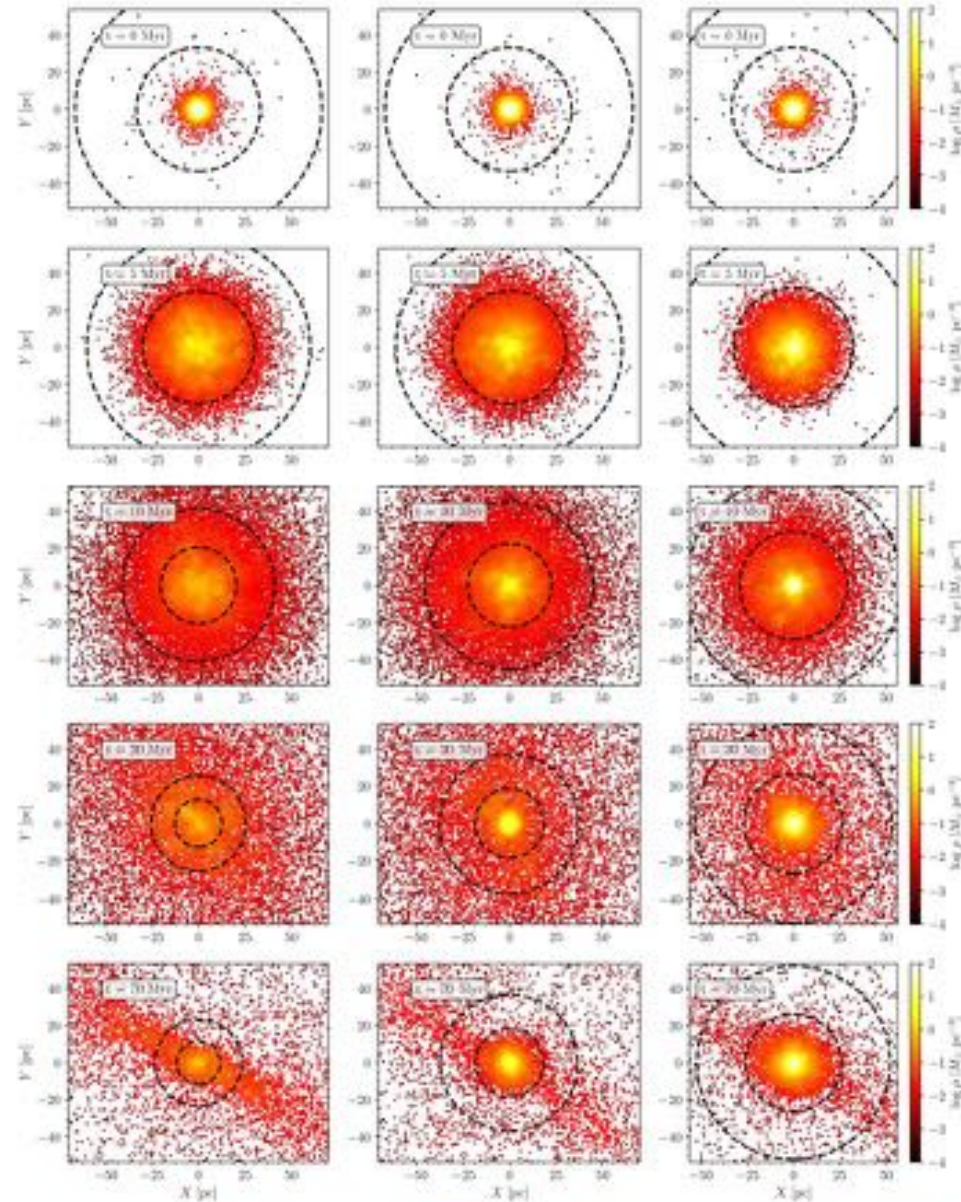


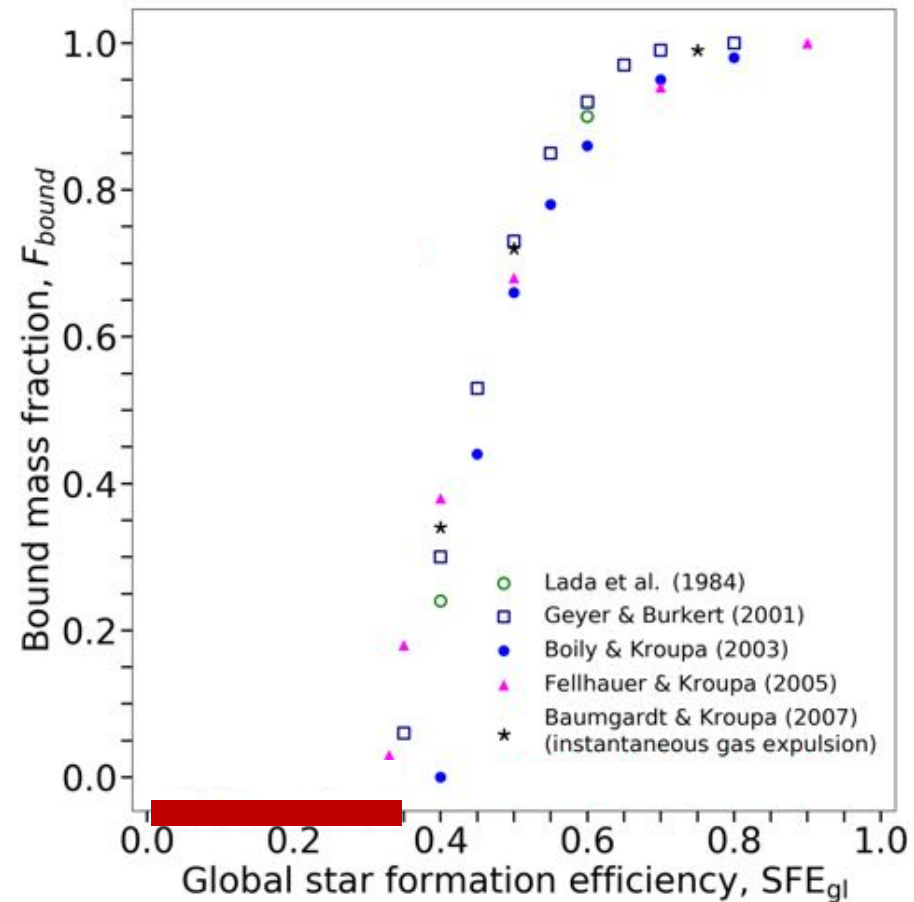
Fig 1,
Shukirgaliyev,
Parmentier,
Just & Berczik
(2018)





Short-Term Evolution

Instantaneous gas expulsion



- A decade ago: star clusters formed with an **SFE less than 1/3 do not survive** (aka cluster infant mortality)





Back to the Second (Local) SF Relation

$$\Sigma_{YSO} \propto \Sigma_{gas}^2$$



$$\Sigma_{gas} \propto \frac{\Sigma_{YSO}}{\Sigma_{gas}} \propto \epsilon_{2D}$$

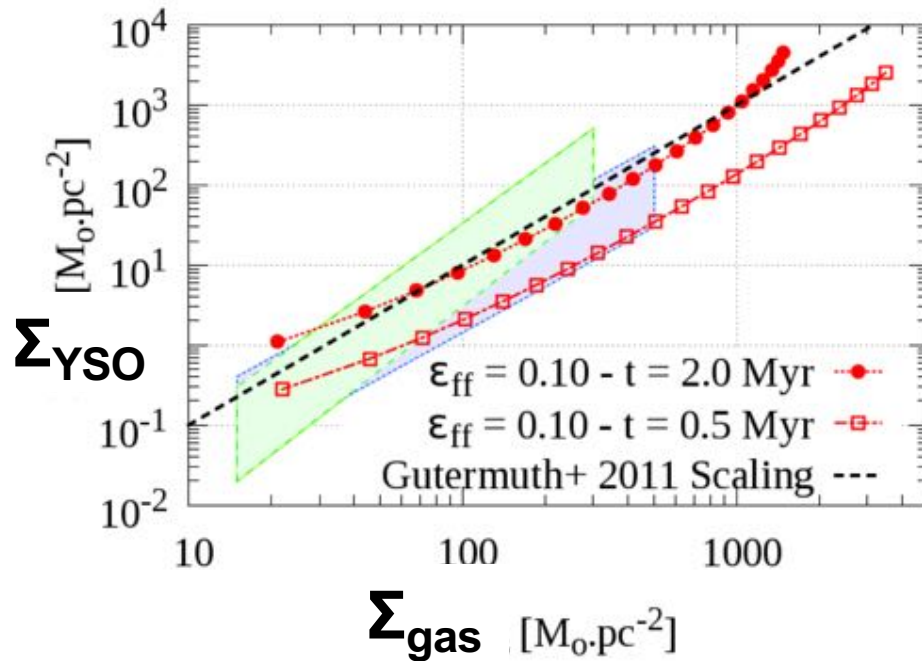


Fig 3, Parmentier & Pfalzner (2013)

Σ_{YSO}

Σ_{YSO}

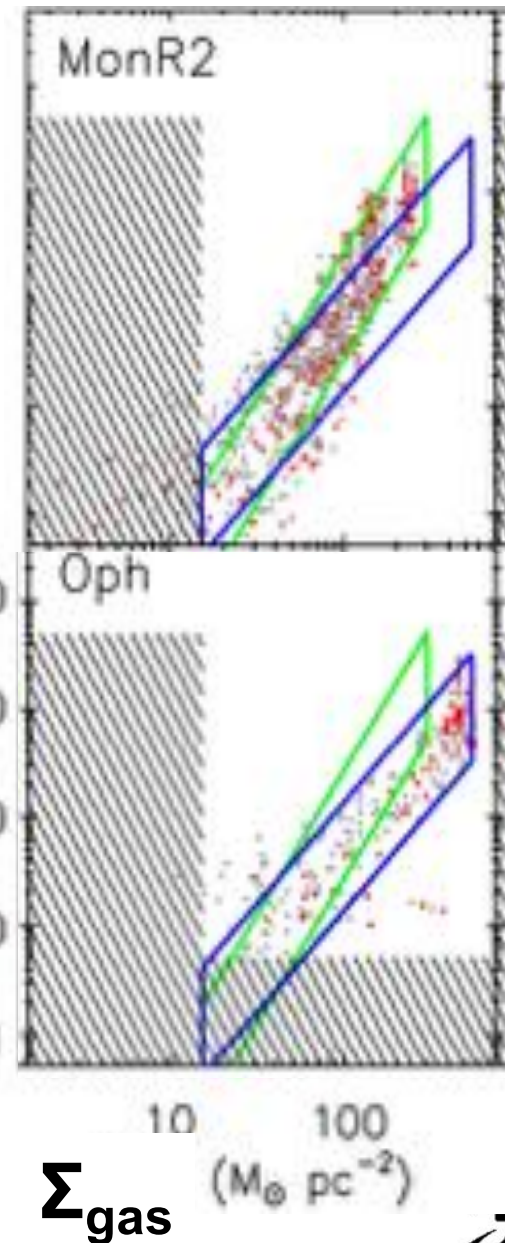


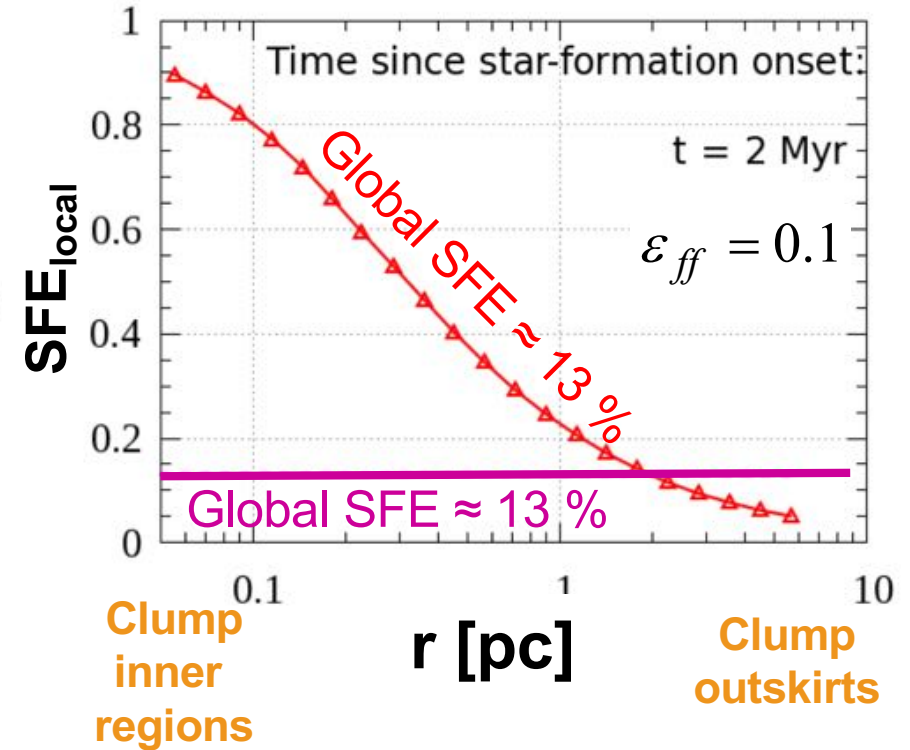
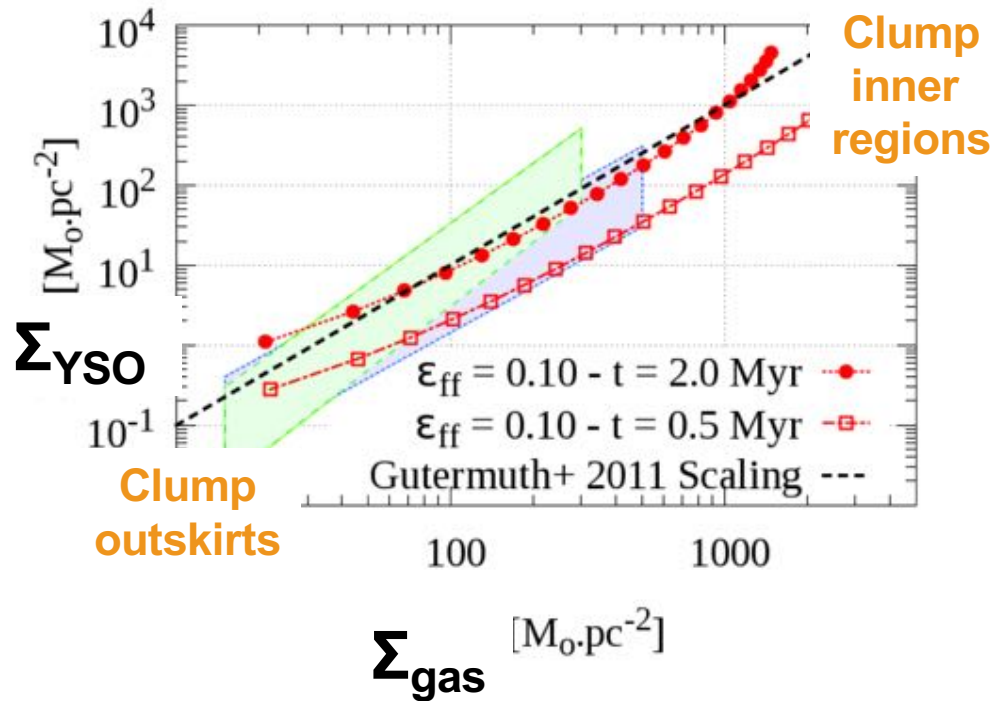
Fig. 9, Gutermuth+ (2011)

Σ_{gas}





SFE Radial Variations



Local Star Formation Relation:

Superlinear / Quadratic

Local star formation efficiency :

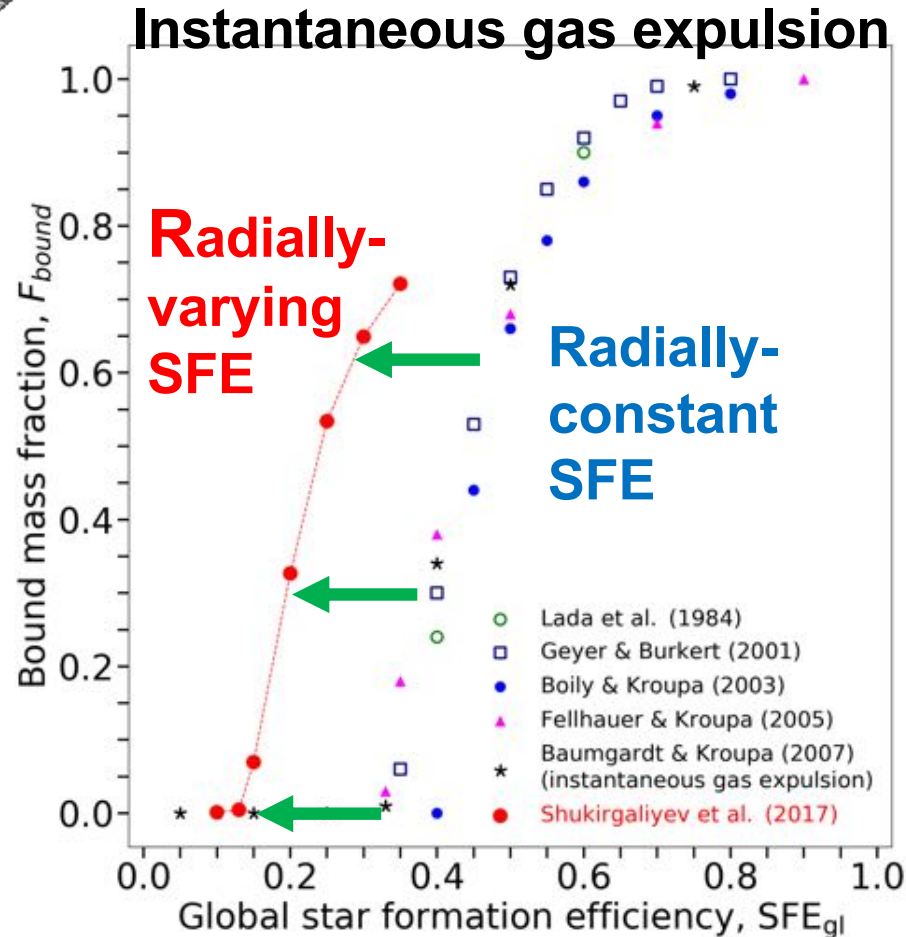
$\text{SFE}_{\text{local}}(\text{inner}) > \text{SFE}_{\text{local}}(\text{outer})$

Figs 3 and 10, Parmentier & Pfalzner (2013)





Violent Relaxation

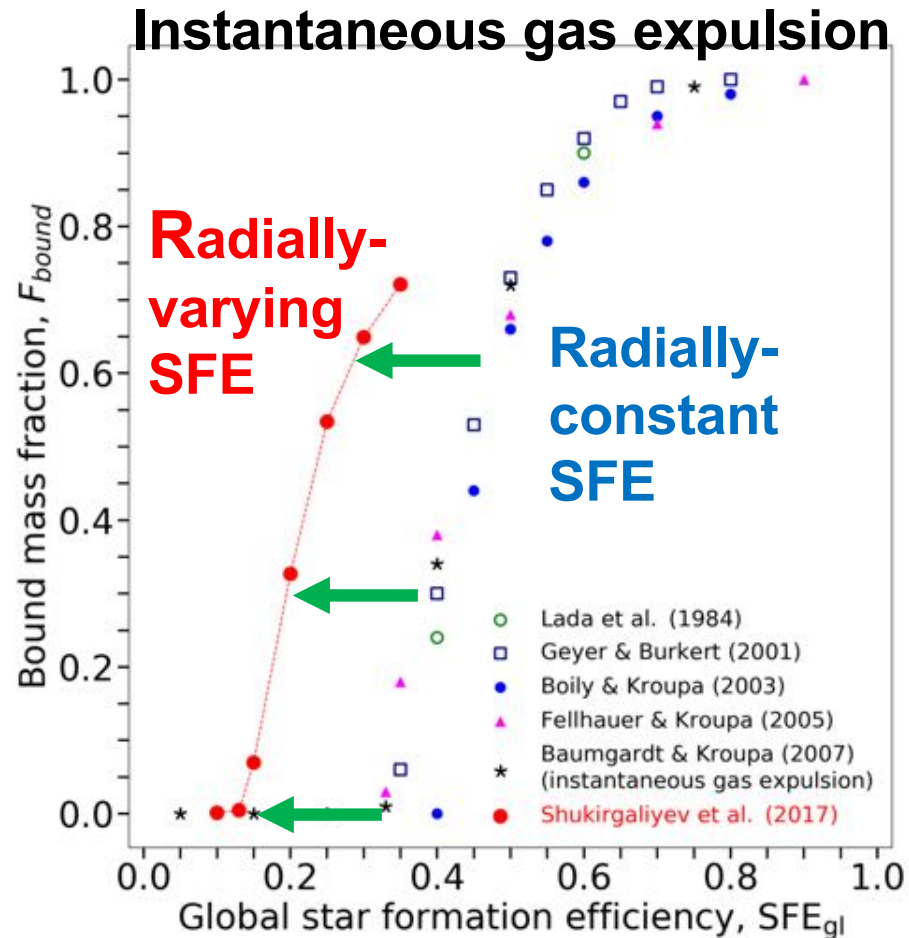


Based on Fig8 in Shukirgaliyev, Parmentier, Berczik & Just (2017)

- Clusters reaching a global SFE higher than 13% do survive
- **Strongly reduced infant mortality**
 - Despite solar-neighbourhood tidal field inclusion!
 - One model cluster with a global SFE of 25% and a birth mass of $15E3M_{\text{sun}}$ has a dissolution time of 2.9Gyr !



Longer-Term Evolution



○ Cluster Teenage Mortality

- One model cluster with a global SFE of 25% and a birth mass of $15E3M_{sun}$ has a dissolution time of 2.9Gyr !
- Most clusters formed with a global SFE of 15% die within a Gyr

Based on Fig8 in Shukirgaliyev, Parmentier, Berczik & Just (2017)





Long-Term Evolution of the $SFE \geq 15\%$ Clusters

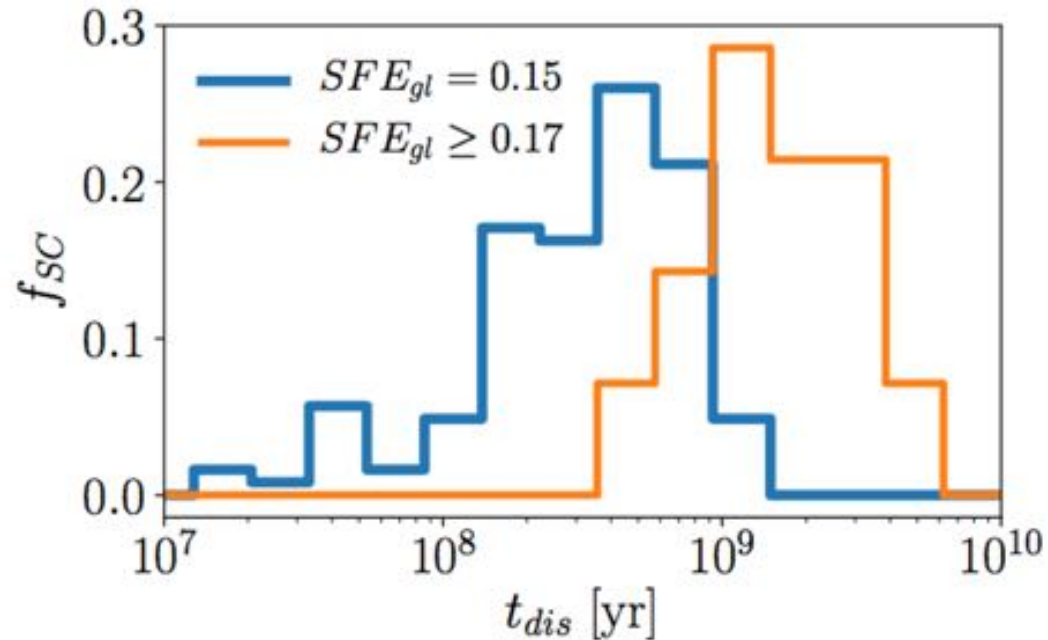


Fig 7, Shukirgaliyev, Parmentier, Just & Berczik (2018)

- Most clusters formed with a global SFE of 15% die within a Gyr
- Cluster teenage mortality
- Most clusters formed with a global SFE of at least 17% have a life-expectancy longer than 1Gyr: a higher SFE generates a more compact structure by the end of violent-relaxation



Take-Away Messages

- The slopes of star formation relations measured for molecular clumps depend on:
 - what is measured,
 - how it is measured,
 - on top of SF physics

- When interpreting star formation relations, first thought should be “pitfalls ahead”

- Cluster infant mortality
 - ↳ Cluster teenage mortality

